

## CALCULATION POLICY

January 2023

Addition

| Stem sentences | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| Can you show me ? $\qquad$ $\qquad$ is $\qquad$ and one more. <br> EYFS |  |  |  <br> Children relate the number of objects to the numeral. |
| $\qquad$ is the whole, $\qquad$ is a part, $\qquad$ is a part. $\begin{aligned} & Z_{Z}=\text { plus } \quad \text { and } \quad \text { plus } \\ & = \end{aligned}$ <br> There are $\qquad$ in total. <br> EYFS/1 |  |  | (2) $\begin{array}{ll} 2+3=5 & 3+2=5 \\ 5=2+3 & 5=3+2 \end{array}$ <br> Bar model $\square$ |



| First I partition the $\qquad$ : $\qquad$ plus $\qquad$ is equal to $\qquad$ <br> Then $\qquad$ plus $\qquad$ is equal to ten ... and ten plus $\qquad$ is equal to -. <br> Year 1/2 |  |  | $\begin{aligned} & 7+3=10 \\ & 10+2=12 \end{aligned}$ $\begin{aligned} & 7+5= \\ & 7+3+2=10+2 \\ & 10+2=12 \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| Year 1/2 |  | $\mid 1 \cdot \cdots+\cdots$ | $22+4=26$ |
| First I partition the $\qquad$ into $\qquad$ and $\qquad$ and the $\qquad$ into $\qquad$ and $\qquad$ $\qquad$ plus $\qquad$ is equal to $\qquad$ $\ldots$ <br> (addition of the tens) $\qquad$ plus $\qquad$ is equal to _.. $\qquad$ (addition of the ones) and $\qquad$ plus $\qquad$ is equal to $\qquad$ (addition of the tens and ones) <br> So $\qquad$ plus $\qquad$ is equal to $\qquad$ (summary of the overall calculation) |  |  | $34+23=57$ |


| Year 1/2 |  |  |  |
| :---: | :---: | :---: | :---: |
| I know that __ plus __ is equal to __. (single-digit fact) <br> So $\qquad$ $\qquad$ is equal to $\qquad$ (related two-digit plus single digit fact) <br> I know that __ plus __ is equal to ten so __ plus __ is equal to __. <br> Year 1/2 |  |  |  |
| ```I know that __ plus __ is equal to _- So``` $\qquad$ <br> ```tens plus``` $\qquad$ <br> ```tens is equal to``` $\qquad$ <br> ```tens.``` $\qquad$ <br> ```tens is equal to __ tens and _ ones. \\ Year 2``` | $40+30=70 \text { so } 45+30=75$ | $45+30=75$ | $\begin{aligned} & 4+3=7 \\ & 4 \text { tens }+3 \text { tens }=7 \text { tens } \\ & 40+30=70 \\ & \text { So } 45+30=75 \end{aligned}$ |



Addition Facts

| Adding I | Bonds to 10 | Adding 10 | Bridging/compensating | YI facts |
| :---: | :---: | :---: | :---: | :---: |
| Adding 2 | Adding 0 | Doubles | Near doubles | $\square$ facts |


| + | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | $0+0$ | $0+1$ | $0+2$ | $0+3$ | $0+4$ | $0+5$ | $0+6$ | $0+7$ | $0+8$ | $0+9$ | $0+10$ |
| 1 | $1+0$ | $1+1$ | $1+2$ | $1+3$ | $1+4$ | $1+5$ | $1+6$ | $1+7$ | $1+8$ | $1+9$ | $1+10$ |
| 2 | $2+0$ | $2+1$ | $2+2$ | $2+3$ | $2+4$ | $2+5$ | $2+6$ | $2+7$ | $2+8$ | $2+9$ | $2+10$ |
| 3 | $3+0$ | $3+1$ | $3+2$ | $3+3$ | $3+4$ | $3+5$ | $3+6$ | $3+7$ | $3+8$ | $3+9$ | $3+10$ |
| 4 | $4+0$ | $4+1$ | $4+2$ | $4+3$ | $4+4$ | $4+5$ | $4+6$ | $4+7$ | $4+8$ | $4+9$ | $4+10$ |
| 5 | $5+0$ | $5+1$ | $5+2$ | $5+3$ | $5+4$ | $5+5$ | $5+6$ | $5+7$ | $5+8$ | $5+9$ | $5+10$ |
| 6 | $6+0$ | $6+1$ | $6+2$ | $6+3$ | $6+4$ | $6+5$ | $6+6$ | $6+7$ | $6+8$ | $6+9$ | $6+10$ |
| 7 | $7+0$ | $7+1$ | $7+2$ | $7+3$ | $7+4$ | $7+5$ | $7+6$ | $7+7$ | $7+8$ | $7+9$ | $7+10$ |
| 8 | $8+0$ | $8+1$ | $8+2$ | $8+3$ | $8+4$ | $8+5$ | $8+6$ | $8+7$ | $8+8$ | $8+9$ | $8+10$ |
| 9 | $9+0$ | $9+1$ | $9+2$ | $9+3$ | $9+4$ | $9+5$ | $9+6$ | $9+7$ | $9+8$ | $9+9$ | $9+10$ |
| 10 | $10+0$ | $10+1$ | $10+2$ | $10+3$ | $10+4$ | $10+5$ | $10+6$ | $10+7$ | $10+8$ | $10+9$ | $10+10$ |


| Stem sentences | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| I know that $\qquad$ plus $\qquad$ is equal to $\qquad$ (single-digit numbers) So $\qquad$ tens plus $\qquad$ tens is equal to $\qquad$ tens. (multiple-of-ten numbers) $\qquad$ plus $\qquad$ is equal to one hundred and __. <br> Year 3 |  |  | $\begin{array}{rl}  & \ddots \because+{ }^{50}=120 \\ & \ddots \cdot 30 \\ 70+50 & 100 \\ = & 70+30+20 \\ = & 100+20 \\ = & 120 \end{array}$ |
| I know that $\qquad$ plus $\qquad$ is equal to $\qquad$ (single-digit numbers) So $\qquad$ tens plus $\qquad$ tens is equal to $\qquad$ tens. (multiple-of-ten numbers) $\qquad$ plus $\qquad$ is equal to one hundred and $\qquad$ <br> Year 3 | $87+30=110+7=117$ |  | $\begin{aligned} 87+30 & =80+7+30 \\ & =110+7 \\ & =117 \end{aligned}$ |



|  |  |  | $\begin{array}{rrrrrr} £ & 2 & 4 & . & 5 & 5 \\ + & 1 & 7 & . & 8 & 2 \\ \hline £ & 4 & 2 & . & 3 & 7 \\ \hline & 1 & 1 & & & \end{array}$ |
| :---: | :---: | :---: | :---: |
| If the column sum is equal to ten or more, we must regroup. <br> Years 5 and 6 | See Year 3 examples | See Year 3 examples | As in Year 4 but using numbers with more than 4 digits |

Addition - Key mental strategies for Key Stage 2

| Strategy | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| Bridging through a multiple of 10,100 , etc Years 3, 4, 5 and 6 |  | $\begin{aligned} & 7+5= \\ & 7+3=10 \\ & 10+2=12 \end{aligned}$ |  |
| Compensating - rounding to the nearest multiple 10, 100, etc and adjusting <br> Years 3, 4, 5 and 6 | $35+49=34+50=84$ |  $\begin{aligned} & 520+299= \\ & 520+300=820 \\ & 820-1=819 \end{aligned}$ | $\begin{aligned} & \mathbf{6 9 + 6 9}=138 \\ & 70+70=140 \end{aligned}$ |

## Subtraction

| Stem sentences | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
|  | I have 8 counters. 5 counters are red. How many are blue? | There are 6 children. 2 have their coat on. How many do not have their coat on? | There are 8 flowers. 2 are red and the rest are yellow. How many are yellow? $8-2=6$ |
| First... Then... Now... <br> e.g. First there were 4 children in the car, then 1 child got out. Now there are 3 children in the car. <br> Year R/1 | Role play 'getting out of a car'. <br> Link to addition - use the part whole model to help explain the inverse between addition and subtraction. If 10 is the whole and 6 is the part. What is the other part? |  | If you know that $5+5=10$ Then you also know that $10-5=5$ <br> Move to using numbers within the part whole model. |


| We partition the in $\qquad$ into $\qquad$ and _First we subtract the $\qquad$ from $\qquad$ to get to 10. Then we subtract the remaining $\qquad$ from 10. We know 10 minus $\qquad$ is equal to $\qquad$ <br> Year 2 | $\begin{aligned} & 12-4= \\ & 12-2=10 \\ & 10-2=8 \end{aligned}$ $12-/_{2}^{4} \backslash_{2}$ | First there were 12 children on the ride. Then 4 got off. Now there are 8 children on the ride. | $\begin{aligned} & 12-4= \\ & 12-2=10 \\ & 10-2=4 \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| There are more $\qquad$ than $\qquad$ <br> There are fewer $\qquad$ than $\qquad$ <br> The difference between $\qquad$ and $\qquad$ is $\qquad$ <br> Year 2 | The difference between 2 and 5 is 3 . The difference between 5 and 2 is 3 . | The difference between 4 and 7 is 3 . The difference between 7 and 4 is 3 . | 5 red cars <br> 3 blue cars $5-3=2$ |
| I know that $\qquad$ minus $\qquad$ is equal to $\qquad$ (single-digit fact) <br> So $\qquad$ minus $\qquad$ is equal to $\qquad$ . (related twodigit minus single digit fact) <br> I know that ten minus $\qquad$ is equal to $\qquad$ so $\qquad$ minus $\qquad$ is equal to $\qquad$ <br> Year 2 |  | $\begin{aligned} & 9-3=6 \\ & 99-3=96 \end{aligned}$ |  |
| I know that $\qquad$ minus $\qquad$ is equal to $\qquad$ So $\qquad$ tens minus $\qquad$ tens is equal to $\qquad$ tens. <br> Year 2 | $70-30=40 \text { so } 75-30=45$ | $75-30=45$ | $5-3=2$ <br> 5 tens -3 tens $=2$ tens $50-30=20$ |


| First I subtract the tens, then I subtract the ones. <br> Year 2 | $\begin{aligned} & 45-23= \\ & 45-20=25 \\ & 25-3=22 \end{aligned}$ | $67-34=33$ | $45-23=22$ |
| :---: | :---: | :---: | :---: |
| First I subtract the tens, then I subtract the ones. <br> Year 2 |  | Real story | $63-17=46$ |
| I know that $\qquad$ minus $\qquad$ is equal to $\qquad$ (bridging ten) <br> So $\qquad$ tens minus $\qquad$ tens is equal to $\qquad$ tens. (bridging ten tens) <br> One hundred and $\qquad$ minus $\qquad$ is equal to $\qquad$ Year 3 | See Year 2 (bridging) | $\begin{aligned} & 120-30= \\ & 120-20=100 \\ & 100-10=90 \end{aligned}$ | $\begin{aligned} & 120 \cdot-30=90 \\ & \quad 100 \\ & 120-30= \\ & 120-20=100 \\ & 100-10=90 \end{aligned}$ |
| I know that $\qquad$ minus $\qquad$ is equal to $\qquad$ (bridging ten) <br> So $\qquad$ tens minus $\qquad$ tens is equal to $\qquad$ tens. (bridging ten tens) <br> One hundred and $\qquad$ minus $\qquad$ is equal to $\qquad$ Year 3 | $\longrightarrow$ $126-70=56$ | -70 <br> $\int_{56}$ | $\begin{aligned} & \quad \\ & 126-70=56 \\ & =120-70+6 \\ & =50+6 \\ & =56 \end{aligned}$ |


|  |  |  |  |
| :---: | :---: | :---: | :---: |
| We partition the $\qquad$ into $\qquad$ and _. First we subtract the $\qquad$ from $\qquad$ to get to a multiple of 10 . Then we subtract the remaining $\qquad$ fro rom the multiple of 10 . We know 10 minus $\qquad$ is equal to $\qquad$ so $\qquad$ minus $\qquad$ is equal to $\qquad$ <br> Year 3 |  | $544-16$ | Count back to multiples of 10/100 |
| We partition the $\qquad$ into $\qquad$ and $\qquad$ <br> First we add the $\qquad$ to $\qquad$ to get to 100 . Then we add the remaining $\qquad$ to 100. We know 100 plus $\qquad$ is equal to $\qquad$ <br> Year 3 |  | $123-97=26$ | Count on to multiples of 10/100 |



| If there is an insufficient number to subtract from in a given column, we must exchange from the column to the left. <br> Year 4 | See Year 3 examples | See Year 3 examples | $\begin{array}{r} 6^{5} 5^{4} 3^{1} 8 \\ -\quad 2,789 \\ \hline 3,749 \\ \hline \end{array}$ $\begin{array}{rrrrr} £ & 2 & 9^{8} \cdot 5^{14} 0 \\ -£ & 1 & 8 & \cdot & 9 \\ \hline £ & 1 & 0 & 4 & 6 \\ \hline \end{array}$ |
| :---: | :---: | :---: | :---: |
| If there is an insufficient number to subtract from in a given column, we must exchange from the column to the left. <br> Years 5 and 6 | See Year 3 examples | See Year 3 examples | As in Year 4 but using numbers with more than 4 digits |

Subtraction - Key mental strategies for Key Stage 2

| Strategy | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| Bridging through a multiple of 10,100 , etc Years 3, 4, 5 and 6 |  | $\begin{aligned} & 120-30= \\ & 120-20=100 \\ & 100-10=90 \end{aligned}$ | $\begin{gathered} 120 \cdot-30=90 \\ \quad 100 \\ 120-30= \\ 120-20=100 \\ 100-10=90 \end{gathered}$ |
| Compensating - rounding to the nearest multiple 10, 100, etc and adjusting <br> Years 3, 4, 5 and 6 | $152-29$ |  | $\begin{aligned} & 152-30=122 \\ & 122+1=123 \end{aligned}$ |

Multiplication

| Stem sentences | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| One group of two, two groups of two, three groups of $2, \ldots$ <br> Ten, twenty, thirty, ... <br> One five, two fives, three fives, ... <br> Year R/1 |  | $\begin{array}{l\|l\|l\|l\|l\|l\|l\|l\|c\|c\|c\|c\|c\|c\|c\|c\|} \hline & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid \\ \hline \end{array}$ | 10, 20, 30, ... |
| There are $\qquad$ coins. <br> Each coin has a value of $\qquad$ p. <br> This is $\qquad$ p. <br> Year 1 | Representing each group by one object |  | Five $2 p$ coins = 10p |
| There are $\qquad$ in each group. <br> There are $\qquad$ groups. <br> There are $\qquad$ in a group and $\qquad$ groups. <br> Year 2 |  | 5 5 5 | $\begin{aligned} & 2+2+2+2=8 \\ & 2 \times 4=8 \\ & 5+5+5=15 \\ & 5 \times 3=15 \end{aligned}$ |
| Factor times factor is equal to the product. The product is equal to factor times factor. <br> Year 2 | Unitising equal groups - representing each group by one object |  | $\begin{aligned} & 2 \times 3=6 \\ & 6=2 \times 3 \end{aligned}$ |
| $\qquad$ _ times $\qquad$ can represent $\qquad$ in a group and __groups. <br> It can also represent $\qquad$ groups of _. $\qquad$ <br> Multiplication is commutative. <br> Year 2 |  |   | $2 \times 5=5 \times 2$ |


| $\qquad$ $\qquad$ <br> is equal to plus $\qquad$ _, so $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ plus $\qquad$ times $\qquad$ _. $\qquad$ is equal to $\qquad$ minus $\qquad$ , so $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ minus $\qquad$ times $\qquad$ Multiplication is distributive. <br> (NCETM Year 4 unit 2.10) <br> Year 3 |  |  |  |  |  |  | $4$ |  | 5 $5 \times 8$ <br> 4 $4 \times 8$ | $\begin{aligned} & =4+1 \\ & =4 \times 8+1 \times 8 \\ & =32+8 \\ & =40 \\ & =5-1 \\ & =5 \times 8-1 \times 8 \\ & =40-8 \\ & =32 \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\qquad$ <br> is <br> equal to $\qquad$ pl $\qquad$ $\qquad$ $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ plus $\qquad$ times $\qquad$ _. $\qquad$ is equal to $\qquad$ minus $\qquad$ , so $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ minus $\qquad$ times $\qquad$ <br> Multiplication is distributive. <br> (NCETM Year 4 unit 2.10) <br> Year 3 |  |  | 3 |  | $30$ |  |  | 3 9 | $3 \times 13$ | $\begin{aligned} & =3 \times 10+3 \times 3 \\ & =30+9 \\ & =39 \end{aligned}$ |
| To multiply a whole number by 10 , place a zero after the final digit of that number. <br> Year 4 |  <br> (10) (10) (10) (10) (10) (10) (10) (10) (10) <br> $\rightarrow$ (1) (1) 1 (1) 1 (1) (1) 1 (1) 1 (1) 1 |  |  | 100s | 10s | 1s <br>  <br> 0 <br> 0 <br> es <br> en <br> is <br> 2 <br> 0 | $\downarrow \times$ |  | $6 \times 10$ $12 \times 10$ | $=60$ $\text { = } 120$ |







Multiplication - Key mental strategies for Key Stage 2



| Products in the 10 times table can be used to find products in the 9 times table. <br> (NCETM Year 3 unit 2.8) <br> Year 4 onwards |  |  |  |  | $9 \times 4=10 \times 4-1 \times 4$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Products in the 10 times table can be used to find products in the 11 times table and 12 times table. <br> Year 4 onwards |  | 3 | 30 | 6 | $\begin{aligned} 12 \times 3 & =10 \times 3+2 \times 3 \\ & =30+6 \\ & =36 \end{aligned}$ |

Division

| Stem sentences | Concrete (Can we make it?) | Pictorial (Can we draw it?) | Abstract (Can we write the equation?) |
| :---: | :---: | :---: | :---: |
| One group of two, two groups of two, three groups of $2, \ldots$ <br> Ten, twenty, thirty, ... <br> One five, two fives, three fives, ... <br> Year R/1 |  | 00 | 6 biscuits shared between 2 children gives 3 biscuits each. |
| The $\qquad$ costs $\qquad$ p. Each coin has a value of p. $\qquad$ So I need $\qquad$ coins. <br> Year 1 |  |  | Five $2 p$ coins $=10 p$ |
| $\qquad$ is divided into groups of $\qquad$ <br> There are $\qquad$ groups. <br> We can skip count using the divisor to find the quotient. <br> Year 2 |  |  | $\begin{aligned} & 5+5+5=15 \\ & 15 \div 5=3 \end{aligned}$ |
| $\qquad$ divided between $\qquad$ is equal to $\qquad$ each. <br> We can skip count using the divisor to find the quotient. <br> Year 2 |  |  | One 5 is 1 each. That's 5. <br> Two 5 s is 2 each. That's 10. $10 \div 5=2$ <br> Dividend divided by the divisor equals the quotient. |





| If dividing the hundreds gives a remainder of one or more hundreds, we must exchange the remaining hundreds for tens. <br> Year 4 |  |  | 212 $4 \lcm{848}$ <br> $14 \quad 1$ $5 \lcm{7{ }^{2} 0 \quad 5}$ <br> $1 \quad 5 \quad 3$ $4 \longdiv { 6 { } ^ { 2 } 1 ^ { 1 } 2 }$ |
| :---: | :---: | :---: | :---: |

If there is a multiplicative change to the
dividend factor and a corresponding change
same.
If I multiply the dividend by $\quad$, I must
multiply the divisor by _ for the quotient to
remain the same.

| Any two-, three- or four-digit dividend can be divided by a two-digit divisor using skipcounting in multiples of the divisor, or by short division. <br> Year 6 | Partitioning | Short division <br> $\begin{array}{rrr}0 & 1 & 4 \\ 31 \lcm{4}{ }^{4} 3 & { }^{12} 4\end{array}$ |  |
| :---: | :---: | :---: | :---: |
| Where there is a remainder, the result can be expressed as a whole-number quotient with a whole-number remainder, a wholenumber quotient with a proper-fraction remainder, or as a decimal-fraction quotient. <br> Year 6 | $\begin{array}{rrrr}  & 2 & 3 & r 9 \\ \hline 3 & 5 & 4 & \end{array}$ | $1 5 \longdiv { 3 } \begin{array} { l } { 2 } \\ { 3 } \end{array}$ | $1 5 \longdiv { 3 } \begin{array} { r } { 2 \quad 3 . 6 } \\ { \hline } \end{array}$ |

